

Example 1: Fit a multiple linear regression (MLR) equation to Y (Sales) as a function of the other 5 variables in the following data table -

Sales	Time	MktPoten	Adver	MktShare	Change
3669.88	43.1	74065.1	4582.9	2.51	0.34
3473.95	108.13	58117.3	5539.8	5.51	0.15
2295.1	13.82	21118.5	2950.4	10.91	-0.72
4675.56	186.18	68521.3	2243.1	8.27	0.17
6125.96	161.79	57805.1	7747.1	9.15	0.5
2134.94	8.94	37806.9	402.4	5.51	0.15
5031.66	365.04	50935.3	3140.6	8.54	0.55
3367.45	220.32	35602.1	2086.2	7.07	-0.49
6519.45	127.64	46176.8	8846.3	12.54	1.24
4876.37	105.69	42053.2	5673.1	8.85	0.31
2468.27	57.72	36829.7	2761.8	5.38	0.37
2533.31	23.58	33612.7	1991.9	5.43	-0.65
2408.11	13.82	21412.8	1971.5	8.48	0.64
2337.38	13.82	20416.9	1737.4	7.8	1.01
4586.95	86.99	36272	10694.2	10.34	0.11
2729.24	165.85	23093.3	8618.6	5.15	0.04
3289.4	116.26	26878.6	7747.9	6.64	0.68
2800.78	42.28	39572	4565.8	5.45	0.66
3264.2	52.84	51866.2	6022.7	6.31	-0.1
3453.62	165.04	58749.8	3721.1	6.35	-0.03
1741.45	10.57	23990.8	861	7.37	-1.63
2035.75	13.82	25694.9	3571.5	8.39	-0.43
1578	8.13	23736.4	2845.5	5.15	0.04
4167.44	58.54	34314.3	5060.1	12.88	0.22
2799.97	21.14	22809.5	3552	9.14	-0.74

Y = Sales		y = sales figures for a sales rep
X1	Time	x_1 = time the sales rep has been with the company
X2	MktPoten	x_2 = market potential = produce sales in the sales territory
X3	Adver	x_3 = \$ advertising expense in the sales territory
X4	MktShare	x_4 = weighted average market share of company over last 4 years
X5	Change	x_5 = change in market share of company over last 4 years

Open the data file **Multiple Linear Regression.xlsx**, click on Data/Data Analysis/Regression, then Select Input Y-Range (A1:A26), Input X-Range (B1:F26), Check the boxes as shown in Figure 1a, name the Output Worksheet and click OK. The results are shown in Figure 1b.

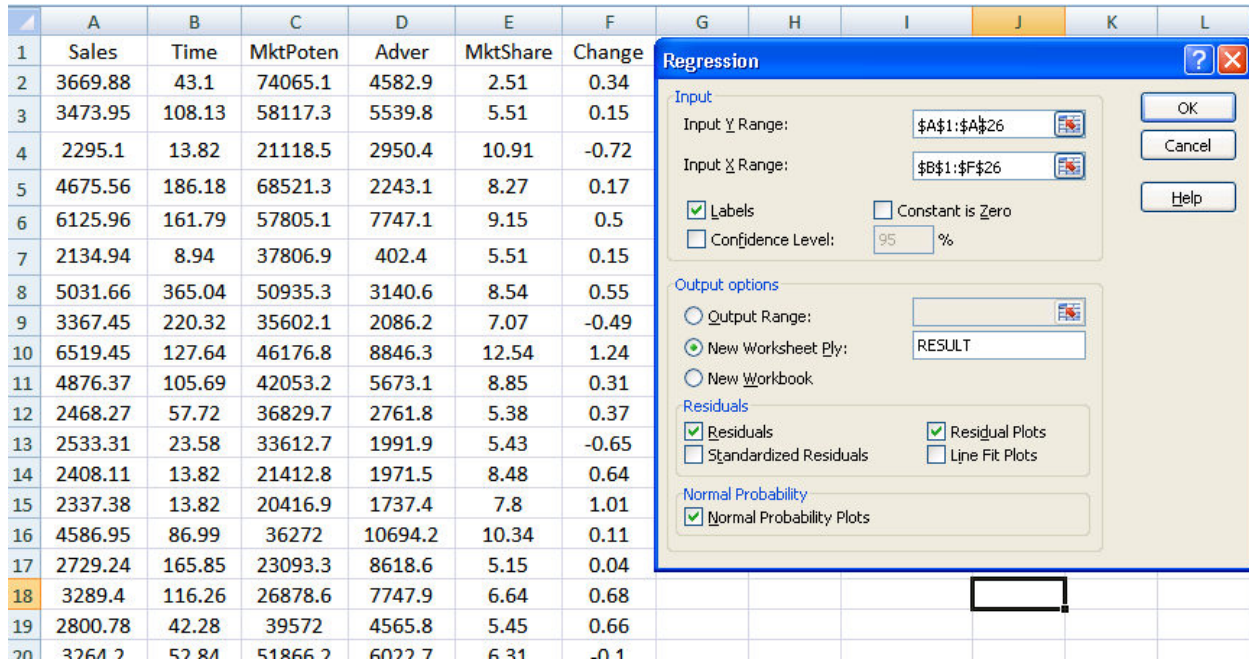


Figure 1a: Running MLR in Excel

	A	B	C	D	E	F	G	H	I
1	SUMMARY OUTPUT								
2									
3	Regression Statistics								
4	Multiple R	0.95656117							
5	R Square	0.915009272							
6	Adjusted R Square	0.892643291							
7	Standard Error	430.2311485							
8	Observations	25							
9									
10	ANOVA								
11		<i>df</i>	<i>SS</i>	<i>MS</i>	<i>F</i>	<i>Significance F</i>			
12	Regression	5	37862670.95	7572534	40.91076	1.58525E-09			
13	Residual	19	3516877.982	185098.8					
14	Total	24	41379548.93						
15									
16		<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>	<i>Lower 95.0%</i>	<i>Upper 95.0%</i>
17	Intercept	-1113.787852	419.8863019	-2.65259	0.0157132	-1992.61998	-234.95572	-1992.61998	-234.955724
18	Time	3.612099048	1.181698122	3.056702	0.0064915	1.13877646	6.08542164	1.13877646	6.085421637
19	MktPoten	0.04208807	0.006731216	6.25267	5.273E-06	0.027999474	0.05617667	0.02799947	0.056176666
20	Adver	0.128857242	0.037036022	3.479241	0.0025109	0.051339957	0.20637453	0.05133996	0.206374526
21	MktShare	256.9553336	39.13601347	6.5657	2.758E-06	175.0427162	338.867951	175.042716	338.867951
22	Change	324.5334065	157.2827383	2.063376	0.0530111	-4.663147321	653.72996	-4.66314732	653.7299603

Comments:

- 1) the regression equation seems to fit data well as $R^2 = 91.5\%$,
- (2) the overall F-test shows the model to be statistically significant (P-value = 1.58525E-09), and
- (3) all of the independent variables in the model are significant since each P-value < .05.